# Real Exchange Rate Movements and Export Quality Upgrading of China's Manufacturing Industries

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# Background

- The real effective exchange rate of Renminbi (RMB) fluctuates substantially over the past two decades.
- The substantial volatility and movements of real exchange rate provides a very good experiment to check its associated impacts on performance of Chinese exporting firms.
- To deeply understand trade balance, we should firstly explore how the exchange rate movements can have impacts on the performance of exporting firms in the long term.
- Exchange rate shocks could not only have impacts on export and import growth, but could also cause substantial reallocation both within and across firms as emphasized by existing studies (Klein, et al, 2003;

#### Literature

 An appreciation of real exchange rate will significantly drive up firm's product quality, productivity and allocation efficiency.

(Mouradian, 2014; Ekholm, et al.2011; Tomlin, 2014; Jeanneney and Hua, 2011; Hu, et al.,2017)

A depreciation of real exchange rate is more likely to promote the product quality and performance of export firms.

Alfaro, et al., 2018; Blaum, 2017; Missio and Gabriel, 2016 Verhoogen, 2008; Alvarez and Lopez, 2008; Cimoli, et al., 2013;

# Main Contribution

- This study stresses the export quality upgrading attributed to reallocation of products within industries caused by real exchange rate movements.
- Real exchange rate movements impacts on export quality upgrading from export and import channels are simultaneously investigated.
- Export quality upgrading at product level is measured using both KSW and BF methods. (KSW; BF; FR)
- Using a highly disaggregated product level panel data over the period of 2000 to 2015 to measure export quality upgrading.
- Construct industry specific REER at HS4 digit level.

## Methodology: KSW

#### • KSW Export Quality Index and Decomposition.

By referring to Khandelwal, et al. (2013), the CES utility function is,

$$U = \left( \int_{\xi \in \Omega} \left( \lambda_c(\xi) q_c(\xi) \right)^{\frac{(1-\sigma)}{\sigma}} d\xi \right)^{\frac{\sigma}{(1-\sigma)}}$$

the parameter  $\lambda_c$  is the quality index that nested in the consumer's preference,  $q_c$  is the quantity consumed, the demand function derived under the assumption of maximum utility function is,

$$q_c(\varphi) = \lambda_c^{\sigma-1}(\varphi) p_c^{-\sigma}(\varphi) P_c^{\sigma-1} Y_c$$
(2)

Considering a highly disaggregated product level data (HS 8 digit classification) with several dimension, the product h is exported from city c to the destination d in the year t, export quality index at product level can be estimated by taking logs on both sides of equation (2),

$$\ln q_{hcdt} + \sigma_h \ln p_{hcdt} = \alpha_c + (1 - \sigma_h) P_{dt} + Y_{dt} + (1 - \sigma_h) \lambda_{hcdt}$$
(3)

## Methodology :KSW

- Where *p* is the unit price of product,  $\alpha_c$  is the fixed effect representing the export source city,  $(1 \sigma_p)P_{dt} + Y_{dt}$  is the fixed effect.
- $\sigma_h$  is the elasticity of substitution across products. Following the previous related studies (Khandelwal, et al. 2013; Martin and Mejean, 2014; Hu, et al. 2017), the parameter  $\sigma_h$  can be directly acquired from the estimation results by Broda, et al. (2017), therefore,

$$\hat{\lambda}_{hcdt} = \frac{\hat{\varepsilon}}{(1 - \sigma_h)} \tag{4}$$

• Based on the export quality KSW index at product level, the export quality KSW index at industry level (HS 4 digit classification) can be constructed using weighted average method, that is,  $\hat{\lambda}_{it} = \sum_{h \in i} s_{hcdt}^{i} \hat{\lambda}_{hcdt} \qquad s_{hcdt}^{i} = \frac{p_{hcdt}q_{hcdt}}{\sum_{h \in i} p_{hcdt}q_{hcdt}}$ 

#### Methodology :FHK & GR Decomposition

$$\Delta\lambda_{it} = \sum_{h\in C_i} s_{ht-1}\Delta\lambda_{ht} + \sum_{h\in C_i} (\lambda_{ht-1} - \lambda_{it-1})\Delta s_{ht} + \sum_{h\in C_i} \Delta\lambda_{ht}\Delta s_{ht} + \sum_{h\in C_i} s_{ht}(\lambda_{ht} - \lambda_{it-1}) - \sum_{h\in X_i} s_{ht-1}(\lambda_{ht-1} - \lambda_{it-1})$$
(5)

Where  $C_i, N_i, X_i$  represent the incumbent products, entry products, exit products respectively,  $s_h$  is the export share of product h in the whole industry.

Similar to the above decomposition method, the KSW export quality index at industry can also be decomposed by GR method (Griliches and Regev, 1995), that is,

$$\Delta\lambda_{it} = \sum_{h\in C_i} \overline{s_h} \Delta\lambda_{ht} + \sum_{h\in C_i} (\bar{\lambda}_h - \bar{\lambda}_i) \Delta s_{ht} + \sum_{h\in N_i} s_{ht} (\lambda_{ht} - \bar{\lambda}_i) - \sum_{h\in X_i} s_{ht-1} (\lambda_{ht-1} - \bar{\lambda}_i)$$
(6)

- Following the previous studies (Boorstein and Feenstra,1987; Harrigan and Barrows, 2009; Martin and Mejean,2014), this study also measure and decompose the export quality index using BF framework. The key assumption of BF framework is that the value of unit consumption( $Val_{ht}$ ) should be equal to the product of ideal price index and utility of unit consumption, that is,  $Val_{ht} = P_{ht}C_{ht}(q_{hcdt}, \Lambda_{hcdt}, I_{ht})$  (7)
- In equation(7),  $P_{ht}$  is the ideal price index, and the  $C_{ht}$  depends on the quantity of different varieties,  $q_{hcdt}$ , the quality of different varieties,  $\Lambda_{hcdt}$ , and the set of firms that can produce the product  $I_{ht}$ , and the ideal price index denotes the minimum expenditure for unit utility, therefore,

$$P_{ht} = \min\left\{ Val_{ht} = \sum_{h \in I_{ht}} p_{hcdt} q_{hcdt} | C_{hcd}(q_{hcdt}, \Lambda_{hcdt}, I_{ht}) = 1, q_{hcdt} \ge 0 \right\}$$
(8)

• By referring to Boorstein and Feenstra (1999), the quality upgrading from consumer's choice can be calculated as the difference between unit value index and ideal price index, that  $\Delta i \mathbf{p}_{At} = \Delta \ln U V_{ht} - \Delta L n P_{ht}$  (9)

 The unit value is calculated as total consumption value divided by total quantity consumed, that is,

$$UV_{ht} = Val_{ht}/Qty_{ht} = \sum_{h \in I_{ht}} w_{hcdt}^R p_{hcdt}$$

$$w_{hcdt}^R = q_{hcdt}/Qty_{ht}$$
(10)

- Clearly, the quality upgrading measured by equation (9) is also based on the demand side, the intuition is that consumers are more willing to buy more expensive varieties within product if the unit value is larger than the ideal price index, which also implies that the overall quality is upgraded for product h.
- Therefore, the key here is how to calculate the ideal price index for product h, the expenditure CES function is assumed as1

$$e(P, I_{ht}, b) = \left[\sum_{h \in I_{ht}} b_h p_{ht}^{1-\sigma}\right]^{\overline{1-\sigma}}$$
(11)

•  $\sigma$  is elasticity of substitution. Define the set of product h at time t is  $I_{ht}$  and the set of product h at time t-1 is  $I_{ht-1}$  and the set of overlap products at time t and t-1 is  $I_{ht,t-1}$ , if there is no entry and exit of product both  $at/hime t_{ha}$  and t-1, then ,

and the following expression can be defined as,

$$\eta_{ht} = \frac{\sum_{h \in I_{ht,t-1}} V_{hcdt}}{\sum_{h \in I_{ht}} V_{hcdt}} \le 1 \qquad \eta_{ht-1} = \frac{\sum_{h \in I_{ht,t-1}} V_{hcdt-1}}{\sum_{h \in I_{ht}} V_{hcdt-1}} \le 1$$

 Based on above definition and expenditure function, then the movements of ideal price index can be expressed as,

$$\ln F(p_{hcdt}, p_{hcdt-1}, q_{hcdt}, q_{hcdt-1}) = \ln P_{ht}/P_{ht-1} = \sum_{h \in I_h} w_{hcdt} \ln \frac{p_{hcdt}}{p_{hcdt-1}} + \frac{1}{\sigma_h - 1} \ln \frac{\eta_{ht}}{\eta_{ht-1}}$$
(12)

$$w_{hcdt} = \frac{(s_{hcdt} - s_{hcdt-1})\ln(s_{hcdt-1}/s_{hcdt})}{\sum_{h \in I} (s_{hcdt} - s_{hcdt-1})\ln(s_{hcdt-1}/s_{hcdt})} \cong \frac{s_{hcdt} + s_{hcdt-1}}{2}$$

If the market share between time t and t-1 change little, then the weight is approximately equal to market share, i.e.,

(13)

$$w_{hcdt} = s_{hcdt} \qquad \qquad s_{hcdt} = \frac{p_{hcdt}q_{hcdt}}{\sum_{h \in I_h} p_{hcdt}q_{hcdt}} = \frac{V_{hcdt}}{V_{ht}}$$

Combining the equation (9) and (12), the export quality upgrading index can be written as,  $\ln(Q_{ht}/Q_{ht-1}) = \ln(UV_{ht}/UV_{ht-1}) - \ln F(p_{hcdt}, p_{hcdt-1}, q_{hcdt}, q_{hcdt-1})$ 

# Methodology :BF Decomposition

 Following Martin and Mejean (2014), the BF export quality index can be decomposed into extensive and intensive margin, the intensive margin denotes the export quality upgrading of incumbent products,

$$\Delta \ln Q_{it}^{\rm int} = \Delta \ln U V_{it}^{\rm int} - \Delta \ln P_{it}^{\rm int}$$
(14)

 Using Taylor expansion, the intensive margin of export quality upgrading is approximately equal to,

$$\Delta \ln Q_{it}^{\text{int}} = \sum_{h \in I_i} \left( w_{hcdt-1}^N - w_{hcdt-1}^R \right) \ln \frac{q_{hcdt}}{q_{hcdt-1}} + \sum_{h \in I_i} w_{hcdt-1}^N \ln \frac{\Lambda_{hcdt}}{\Lambda_{hcdt-1}}$$
(15)

• The first part of equation (15) in the right side represents the export quality upgrading by the market share reallocation of incumbent products within industries, the second part is the export quality upgrading within products.  $w_{hcdt-1}^{N}$  is the nominal market share of each product (measured by export value share).  $w_{hcdt-1}^{R}$  is the real market share of each product (measured by export quantity share).

#### Methodology :BF Decomposition

• The extensive margin of export quality upgrading base on BF framework is defined as,

$$\Delta \ln Q_{it}^{ext} = \Delta \ln U V_{it}^{ext} - \Delta \ln P_{it}^{ext}$$
(16)

$$\Delta \ln UV_{it}^{ext} = \left( \ln \frac{\sum_{h \in I_{it}} p_{hcdt} q_{hcdt}}{\sum_{h \in I_{i}} p_{hcdt} q_{hcdt}} - \ln \frac{\sum_{h \in I_{it-1}} p_{hcdt-1} q_{hcdt-1}}{\sum_{g \in I_{i}} p_{hcdt-1} q_{hcdt-1}} \right)$$
$$- \left( \ln \frac{\sum_{h \in I_{it}} q_{hpct}}{\sum_{h \in I_{i}} q_{hpct}} - \ln \frac{\sum_{h \in I_{it-1}} q_{hcdt-1}}{\sum_{h \in I_{i}} q_{hcdt-1}} \right)$$
$$= \ln \frac{\hat{\eta}_{it}}{\hat{\eta}_{it-1}} - \ln \frac{\eta_{it}}{\eta_{it-1}}$$
(17)

$$\Delta \ln P_{it}^{ext} = \frac{1}{\sigma - 1} \ln \frac{\eta_{it}}{\eta_{it-1}}$$
(18)

$$\Delta \ln Q_{it}^{ext} == \ln \frac{\hat{\eta}_{it}}{\hat{\eta}_{it-1}} - \frac{\sigma}{\sigma - 1} \ln \frac{\eta_{it}}{\eta_{it-1}}$$
(19)

## Methodology :REER

• Following Goldberg (2004), the export weighted and import weighted real effective exchange rate at industry level over the period of 1999 to 2016 is defined as,  $\sum_{k=1}^{k} prep.$ 



$$XREER_{it} = \sum_{j=1}^{k} \omega_{jt}^{xi} RER_{jt}; \\ \omega_{jt}^{xi} = \frac{\sum_{j=1}^{t-1} ex_{jt}^{i}}{\sum_{j=1}^{k} \sum_{t-3}^{t-1} ex_{jt}^{i}}$$
$$MREER_{it} = \sum_{j=1}^{k} \omega_{jt}^{mi} RER_{jt}; \\ \omega_{jt}^{mi} = \frac{\sum_{j=1}^{t-1} im_{jt}^{i}}{\sum_{j=1}^{k} \sum_{t-3}^{t-1} im_{jt}^{i}}$$

# **Empirical Equations, Identification**

 The same empirical equation as the previous studies((Klein, et al., 2003; Campa & Goldberg, 2001, 2005, ; Moser, et al., 2010; Ekholm, et al., 2012; Berman, et al, 2012; Li, et al 2015), to investigate real exchange rate movements impacts on export quality upgrading at industry level, that is,

$$lnQ_{it} = \alpha_0 + \alpha_1 \ln XREER_{it} + \alpha_2 EXPRO_{it-1} * \ln XREER_{it} + \alpha_3 \ln MREER_{it} + \alpha_4 \ln MREER_{it} + \alpha_5 \ln MCP_{it-1} * \ln MREER_{it} + \sum_{i=1}^k \beta_i X_{it} + \mu_i + \gamma_t + \varepsilon_{it}$$
(21)

 $X_{it} = [EXPRO_{it-1}, IMS_{it-1}, IMCP_{it-1}, EXSOE_{it}, EXFOR_{it}, EXHHI_{it}]$ 

 Considering that export quality upgrading is time-consuming process, and the long-term exchange rate movement at narrowly defined industry level is more likely to be exogenous to export quality upgrading, the robustness of empirical results estimated using equation(22) are also checked using long term differenced variables following the previous related studies (Amit and Khandewal ,2011 ; Ekholm, et al., 2012; Bloom, et al., 2015), that is,

## **Empirical Equations, Identification**

$$\Delta \ln Q_{it} = \beta_0 + \beta_1 \Delta \ln XREER_{it} + \beta_2 EXPRO_{it-5} * \Delta \ln XREER_{it} + \beta_3 \Delta \ln MREER_{it} + \beta_4 IMS_{it-5} * \Delta \ln MREER_{it} + \beta_5 IMCP_{it-5} * \Delta \ln MREER_{it} + \sum_{i=1}^k \beta_i \Delta X_{it} + \nu_t + \varpi_{it}$$
(2)

For any variable in equation (22),

$$\Delta \ln Z_{it} = \ln Z_{it} - \ln Z_{it-5}$$

Industrial level movements in exchange rates are more likely to be independent from firm specific characteristics. They are mainly yield from national movements in exchange rate and industrial-specific trading patterns. Thus, they are likely to be exogenous to firm behavior (Caballero and Cobo,1989). More importantly, trade weighted REER at industry level is a form of Bartik instrument for exchange rate shocks at macroeconomic level as stressed by recent studies (Goldsmith-Pinkham, Sorkin and Swift, 2019; Adao, Kolesar and Morales, 2018; Borusyak, Hull and Jaravel, 2018).

#### **Descriptive Statistics**

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Table 1 Export Quality Upgrading Index Decomposed by Different Methods in Manufacturing Industries -Method @ Period 🛛 Within @ Between @ Exit 🖉 Between All -Cross 🖉 Entry 🖓 (1) 🗸 (2) 🖓 (3) 🖓 (4) 🖓 (6) 🖓 (7) 🛛 (5) 🖉 (4) +(5)+(6)-(7) 2001-2005 --22.53%~ -27.84% ~ 42.87%~ 27.78% ~ 19.89%~ 22.93% -KSW\_FHK ℯ 2006-2010 --35.02%~ -25.80%~ 44.02% ~ 30.23%~ 22.26%~ 26.18% ~ 21.46% ~ 2011-2015 --30.34%~ -25.03%~ 40.83% ~ 29.30% ~ 23.64% ~ 2001-2005 --1.10%~ -6.37%~ 27.80% -19.97%~ 1.46% ~ ę. KSW GR -2006-2010 -2 -12.91% --3.73%~ 30.55% ~ 22.45% ~ 4.37%₽ ę. 2011-2015 --9.89%~ -4.67%~ 29.77% ₽ 21.63%~ 3.47%₽ ą. Intensive Margin . Extensive Margin . ą. ø ą. æ 2001-2005 -0.03% ~ 4.86% ø æ BF₽ 2006-2010 + 0.74% ~ 5.64% ~ ą. ₽ 2011-2015 -0.43% ~ 5.23% 🖉 ø ę.

Note: The statistics is calculated as the average values of export quality decomposition results at HS4 digit industry level.

#### Figure1 Industry Specific Real Effective Exchange Rate 1999-2016, yr2005==100 □



#### Figure 2 Export & Improt Industry Specific Real Exchange Rate 1999-2016 2005==100



Table 2 Denemin	ark Lounau	on of Real L2	tenange itale Mo	venients impact (	I KS W LAPOIT	Zuanty muck?	-
Dependent. Var	lnQ1 -	lnQ2 «	lnQ3 🖓	lnQ3 «	lnQ3 🖓	lnQ3 🖓	- +
c,	$\sigma = 5$ .	$\sigma = 10  $	$\sigma(Broda)$ .	$\sigma(Broda)$ .	σ(Broda) «	σ(Broda) ₀	÷
تې	(1).	(2) .	(3) ~	(4) ~	(5) .	(6) •	<i>ب</i>
ln (XREER) -	-0.106 -	-0.103 +	0.931****	0.984***	⊊ <sub>₽</sub>	C.	÷.
r,	(0.086) <sub>•</sub>	(0.081)	(0.348)	(0.392) +	ته	ته	¢
ln (MREER) -	-0.151* ~	-0.140* 🖓	-0.420** .	-0.397* -	ته	C+	¢
сь С	به (0.080)	(0.076) +	(0.205) 🕫	(0.230) 🕫	C+	ته	ę
ln (REER) -	⊊,	сь Сь	⊊,	C.	0.614*	0.742* -	÷
сь С	сь С	°*	ته	⊊ <sub>₽</sub>	(0.364) -	(0.407) -	¢
ln (IMP_COM)	5	¢2	ته	0.120*****	⊊,	0.121****	ę
ته	4	сь С	r,	(0.037) 🕫	C+	(0.034) +	ø
$\ln(EX\_SOE)$	сь С	°*	ته	-0.073**** "	C+	-0.067*** 🖓	¢
C.	5	¢2	ته	(0.027) 🕫	ته	(0.026) +	ę
ln (EX_PRO)	сь Г	сь С	ته	-0.032****	ته	-0.033** 🖓	¢
r,	с,	ته	ته	(0.014) .	ته	(0.013) -	¢
ln (IM_Share) -	с.	τ <sub>\$</sub>	ته	0.012 *	C4	0.013 +	÷
ته	4	<b>₽</b>	r,	(0.019) +	C+	(0.018) -	ę
$\ln(EX\_FOR)$ .	с,	ته	ته	0.015 +>	ته	0.019	¢
Ð	с.	сь С	ته	(0.021) .	ته	(0.020) -	¢,
ln (EX_HHI) «	<b>₽</b>	<sup>4</sup>	ته	-0.035 +3	ته	-0.027 🖓	ę
сь Г	сь С	Сь Сь	ته	(0.031) +	r,	(0.031) +	÷
Industry FE -	Y 🖓	Y 🕫	Y 🕫	Y 🕫	Y 🕫	Y	÷.
Year FE -	Y	Y 🕫	Y +2	Y 🕫	Y +2	Y 🕫	¢
Obs. «	11,052 -	11,052 -	11,052 +>	9,929 -	11,045	10,108 -	÷
R-squared .	0.004 ~	0.004 *	0.204 **	0.219	0.201 **	0.217 *	¢
No.of Industries	770 🖓	770 🖓	770 🕫	734 💩	770 💩	739 💩	ę

Table 2 Benchmark Estimation of Real Exchange Rate Movements Impact on KSW Export Quality Index

Notes: Robust Standard Errors Clustered at HS 4 Digit Industry level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1

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No. of Industries .

Table 3 Robustness Check of Real Exchange Rate Movements Impact on Export Quality Index -÷. ∆lnQ ₽ ∆lnQ -∆lnQ ₽ Dependent Var. -∆lnQ -₽.  $\sigma(Broda) \sim$  $\sigma(Broda) \sim$  $\sigma(Broda)$  $\sigma(Broda) \sim$ ₽ (1). (3) 🖓 (4) 0 (2) 🖓 ÷ æ  $\Delta \ln (XREER) \approx$ 0.750\*\*\* 0.956\*\*\* ÷ ÷ ÷ (0.270) -(0.299) ę. ÷ ą.  $\Delta \ln (MREER) \approx$ -0.430\*\*\* -0.489\*\*\*\* e. ₽. (0.157) -(0.167) -÷ ÷  $\Delta \ln (REER) \approx$ 0.450\* ~ 0.539\* ę. ÷ æ (0.264) (0.301). ø ÷. æ  $\Delta \ln (IMP\_COM) \approx$ 0.100\*\*\* 0.100\*\*\* ÷ ÷ ÷. (0.029) + (0.029) ÷ ¢. ₽  $\Delta \ln (EX\_SOE) \approx$ -0.058\*\* ~ -0.056\*\* ~ ÷ ÷ ₽. (0.023) -(0.024) æ ę. ₽.  $\Delta \ln (EX_PRO) \approx$ -0.026\*\* ~ -0.027\*\*\* ÷ ę. ₽. (0.011) ~ (0.011) ~ ÷ ÷ ę.  $\Delta \ln (IM\_Share) \approx$ 0.011 -**0.008** ₽ æ ₽. ₽. (0.012) + (0.012) ÷ ÷ ÷.  $\Delta \ln (EX_FOR) \approx$ -0.031 +2 -0.028 +2 ÷ ¢, ₽ (0.023) (0.023) ÷ ÷ ÷.  $\Delta \ln (EX_HHI) \sim$ -0.027 🖓 -0.027 🖓 ÷ ÷ ø (0.018) + (0.018) ÷ ÷ æ Industry FE @  $\mathbf{Y} \mathrel{\scriptscriptstyle \circ}$ Y ₽ Y.  $\mathbf{Y} \mathrel{\scriptscriptstyle \bullet}$ ÷. Time FE @  $Y \mathrel{\scriptscriptstyle \circ}$  $Y \mathrel{\scriptscriptstyle{\scriptscriptstyle \circ}}$ Y e Y 🖓 ₽. Obs. 🖉 7,279 -7,269 -6,457 -6,455 . ₽. R-squared . 0.029 + 0.025 -0.048 ~ 0.042 ~ ÷

Notes: Robust Standard Errors Clustered at HS 4 Digit Industry level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \* \*p<0.1 -

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Table 4 REER Movements	Impacts on Exp	ort Quality and	d Trade Depen	dence (Depend	dent Var. <u>Ln</u>	<b>2</b> ) ~	÷
	(1).	(2) ~	(3)*	(4) ~	(5) .	(6) +	ę
ln (XREER) «	0.955** .	1.227 <b>***</b> <sub>e</sub>	1.007** .	1.124****	1.669***	1.659****	÷
	(0.396) -	(0.450) ~	(0.401) -	(0.429)	(0.528)*	(0.506) -	¢,
ln (MREER) «	-0.517** 🖓	-0.557***	-0.829*** <sub>*</sub>	-0.947****	-0.497 <b>**</b>	-0.431* ~	ę
C.	(0.213) +	(0.243) +	(0.285)	(0.311) +	(0.232)*	(0.232) +	42
L1_IMP_COM «	-0.010 🕫	-0.017 ~	C <sub>b</sub>	C.	¢-	Ę.	ę
	(0.037) +	(0.041) +	C <sub>4</sub>	ς	⊂ <sub>+</sub>	C₽	¢,
ln (MREER) * L1_IMP_COM «	0.003 +3	0.004 *	C <sub>₽</sub>	C+	ت.	ς.,	ę
	(0.008) •	( <b>0.009</b> ) ب	C <sub>4</sub>	ς	⊂ <sub>*</sub>	C₽	¢,
L1_IM_Share .	ته	⊊ <sub>₽</sub>	-0.033 +2	-0.060** 🖓	с»	r,	¢,
	ته	εş	(0.024)*	(0.024)*	⊂ <sub>*</sub>	تې	¢,
ln(MREER) * L1_IM_Share ~	ته	ς	0.007 +	0.012***	с»	r,	¢,
	ته	C4	(0.005)	(0.005)	ت.	⊊,	ę
L1_EXP_PRO +	ته	ζ	C <sub>4</sub>	ς	0.075* .	0.071 +	¢,
	ته	¢.	C.	¢,	(0.044).	(0.045) +	ę
ln (XREER) * L1_EXP_PRO ~	ته	ς	C <sub>4</sub>	ς	-0.016* -	-0.016 +	¢,
	С.	¢	c,	¢	(0.009)»	(0.010) +	ę
Covariates «	N +3	Y +2	N +3	Y	N +3	Y	ę
Industry FE 🖓	Y ₊²	Y +2	Y	Y	Y +2	Y	ę,
Time FE «	Y +3	Y +2	Y	Y	Y	Y	ę
Obs. «	10,362 +	9,393 -	9,986 <sub>°</sub>	9,356.	9,675 -	9,359 -	ę
R-squared .	0.207 +	0.212 ~	0.209 ~	0.227 .	0.208 @	0.221 ~	¢
Industries .	770 .	740 .	761 .	735 💩	749 .	732 💩	ę

Notes: Robust Standard Errors Clustered at HS 4 Digit Industry Level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1

	(1) ~	(2) 🖓	(3) 🖓	(4) .	(5).	(6).	÷
$\Delta \ln (XREER)$ .	0.747****	0.980****	0.788*** .	0.882***	1.350***.	1.255****	+
	(0.270) 🕫	(0.304) -	(0.279)	(0.295).	(0.425)*	(0.411).	÷
$\Delta \ln (MREER)$	-0.420*** <sub>*</sub>	-0.498****	-0.697*** 🖓	-0.875*** 🛛	-0.472*** <sub>°</sub>	-0.455***	o 4
Ŷ	(0.163) +	(0.178) -	(0.223) -	(0.231).	(0.179).	(0.168) -	4
IMP_COM <sub>t-5</sub>	0.001 *	0.001 ~	c,	C <sub>4</sub>	ę	C <sub>4</sub>	-
	(0.001) +	(0.001) •	c,	C.	¢.	C <sub>b</sub>	4
$\Delta \ln (MREER) * IMP\_COM_{t-5}$	-0.001 ~	<sup>ب</sup> 000.0	c.	c,	сµ	C <sub>b</sub>	4
	(0.005) +3	(0.005) .	ę,	C.	ą	⊊ <sub>₽</sub>	4
IM_Share <sub>t-5</sub> «	C4	¢.	0.001 **	0.001* ~	с.	ç.	4
	<b>G</b>	¢₽	(0.001)	(0.001).	с.	⊊ <sub>₽</sub>	4
$\Delta \ln (MREER) * IM_Share_{t-5} +$	C4	¢.	0.004 *	0.006** -	с.	ç.	4
	<b>G</b>	¢₽	(0.003)	(0.003) -	с.	Ç∌	4
$EXP_PRO_{t-5} +$	сь С	C <sub>b</sub>	C <sub>4</sub>	C.	-0.001 @	-0.000 e	4
	تم	C <sub>4</sub>	C <sub>4</sub>	C.	(0.001)*	(0.001) -	4
$\Delta \ln (XREER) * EXP_PRO_{t-5}$	ته	ςμ	C <sub>4</sub>	C <sub>b</sub>	-0.009 ~	-0.007	4
	сь С	C <sub>b</sub>	c <sub>a</sub>	C <sub>b</sub>	(0.007)*	(0.007) -	4
Covariates .	N ~	Y 🕫	N 🕫	Y	N 🖓	Y	4
Industry FE .	Y	Y 🕫	Y	Y 🕫	Y 🕫	Y	4
Time FE .	Y	Y	Y	Y	Y 🕫	Y	4
Obs	7,279 .	6,457 .	6,855 -	6,403 .	6,580 .	6,479 -	4
R-squared .	0.030	0.039	0.033 +	0.053 +3	0.035 +3	0.051 +	
Industries	726 -	685 💩	<b>699</b> ₽	679	688 🕫	679 💩	4

Table 5 Robustness Check of REER Impacts On Export Quality and Trade Dependence (Dependent Var.  $\Delta \ln Q$ ) and  $\Delta \ln Q$ 

Notes: Robust Standard Errors Clustered at HS 4 Digit Industry Level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1 -

		Table 6	REER Moveme	ents Impact on I	Decomposed Ex	xport Quality	Index .			
Dependent Var. 🖉	WIN 43	WIN «	WIN .	BTW ~	BTW ~	BTW .	Entry .	Entry ~	Exit ~	Exit.
Decom. Method «	FHK @	GR 🖓	GR 🕹	FHK	GR 🖓	GR 🖓	GR +?	GR 🕹	GR 🕫	GR +?
C.	(1) ~	(2) 🕫	(3) •	(4) •	(5) +	(6) 🖓	(7) •	(8)*	(9) •	(10) .
ln (XREER) «	-0.006 ~	-0.046	ę	0.716***.	0.606****	¢.	0.763****	ą	0.003 +>	C4
	(0.048) ~	(0.032) .	تې	(0.243) .	(0.214).	Ç.	(0.237) .	ą	(0.214) .	c,
ln (MREER)	-0.055* ~	-0.056** 🖓	r.	0.351****	0.262***	Ç.	0.248* .	Ş	-0.069 @	c)
	(0.033) -	(0.026) .	¢-	(0.131).	(0.114) ~	C.	(0.141) ~	ą	(0.074) .	C4
ln (REER) ب	ą	r,	-0.070** .	42	r.	0.454***	r.	0.686***	C <sub>0</sub>	0.007 🖓
¢3	r,	ته	(0.034) +	€	C.	(0.178).	ته	(0.210)*	C₀	(0.253) +
Covariates +	N 40	N 🕫	Y .	Y 🖓	Y 👳	Y 🕫	Y 🕫	Y ç	Y	Y 🕫
Industry FE .	$Y \not \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! $	$\mathbf{Y} \leftarrow \mathbf{y}$	Y 🕫	Y .	Y 🕫	Y 🕫	Y 🕫	Y ç	Y o	Y +3
Time FE .	Y +2	$\mathbf{Y} \leftarrow$	Y 🕫	Y	Y 🕫	Y 🕫	Y	Y ç	Y	Y
Obs. 🕫	9,605 -	9,586	8,651 -	8,865 -	8,847 .	8,843 ب	8,652 0	8,651 -	8,652 -	8,651 0
R-squared .	0.027 ~	0.048 +2	0.074 ~	0.018 +2	0.017 ~	0.016 @	0.020 @	0.018	0.014 +2	0.013 @
No. of Industries	770 🕫	<b>766</b> ₊∘	727 💩	737 💩	734 🖓	734 +	727 🖓	727 💩	727 💩	727 💩

Notes: Robust Standard Errors Clustered at HS 4 Digit Industry Level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1; WIN is Within Effect of quality upgrading; BTW is Between Effect of quality upgrading; Entry, Exit represent quality upgrading caused by entry and exit of products within industries.

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Dependent Var. «	ΔWIN ₽	ΔWIN ↔	ΔWIN ↔	ΔBTW «	∆BTW ₽	∆BTW ₽	∆Entry .₀	∆Entry ₀	∆Exit₊	∆Exit₊
Decom. Method .	FHK 💩	GR .	GR 🖓	FHK ~	GR 🖓	GR 🖉	GR 🖓	GR $_{e^2}$	GR $_{e}$	GR $_{e^{2}}$
ą	(1) .	(2) .	(3).	(4) ~	(5) 🕫	(6).	(7) ~	(8).	(9) 🕫	(10) •
Δln (XREER)	-0.146***	-0.142*****	сь С	0.676** .	0.675****	ته	0.870***	c,	-0.092 +	C <sub>9</sub>
ą	(0.068)	(0.048) ~	¢.	(0.279)	(0.260) .	сь	(0.317) -	C.	(0.172) .	Ģ
∆ln ( <i>MREER</i> ) ₀	-0.030 +2	-0.058** 🖓	C.	0.386** .	0.268* .	C.	0.228 .	C.	-0.013 .	C.
ą	(0.051)	(0.029) *	c,	(0.159) +	(0.137) -	r,	(0.159) .	C.	(0.088)	c,
∆ln ( <i>REER</i> ) ⊷	c,	C <sub>9</sub>	-0.103** 🖓	¢,	¢₽	0.676***	Ę.	0.823****	c,	-0.020 +
ą	c,	c,	(0.044) *	¢3	¢₽	(0.249) +	¢3	(0.290) +	C₀	(0.204) -
Covariates .	Y 🕫	Y 🕫	Y	Y 🕫	Y +2	Y	Y +3	Y	Y	Y
Industry FE .	Y	Y	Y	Y	Y 🕫	Y	Y	Y	Y	Y
Time FE .	Y	Y	Y	Y 🕫	Y 🕫	Y	Y	Y	Y	Y
Obs. «	5,158 .	5,147 .	5,147 .	5,160 .	5,149 .	5,147	5,149	5,147 .	5,149 -	5,147 .
R-squared .	0.043 .	0.064 *	0.062 *	0.023 +3	0.022 🕫	0.021 +3	0.025	0.024 *	0.013 +2	0.013 +
No. of Industries .	<b>665</b> ₽	654 💩	654	665 e	654 @	654	654 ~	654	654 .	654 ~

Table 7 Robustness Check of REER Movements Impact on Decomposed Export Quality Index

Notes: Robust Standard Errors Clustered at HS 4 Digit Industry Level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1; WIN is Within Effect of quality upgrading; BTW is Between Effect of quality upgrading; Entry, Exit represent quality upgrading caused by entry and exit of products within industries.  $\Delta$  denotes the long-term differenced operator.

	Table 6 K		ents impact on Di	Export Quanty Opg	ading mack *		
Dependent Var	lnQBF ~	lnQBF .	INTBF ~	INTBF ~	EXTBF ~	EXTBF ~	с»
	(1) *	(2) 🖓	(3) ~	(4) •	(5) ~	(6)	¢.
ln (XREER) -	0.495*** .	c,	-0.103 🕫	ç.	0.342* .	r,	ę
	(0.178).	<b>C</b> ∌	(0.129) «	<sup>4</sup>	(0.185) .	r,	¢
ln (MREER) ₀	-0.121 +	ę	-0.093** 🖓	C4	0.184 .	C.	¢,
	(0.098) -	ą	(0.045) ~	c,	(0.176).	⊊.	¢,
ln (REER) ₀	¢.	0.251 ~	C4	-0.282***	C4	0.611** .	¢,
ą	Ç∳	(0.172) +	¢4	(0.123) +	¢\$	(0.293)	¢
Covariates .	Y 🖓	Y 🕫	Y 🕫	Y 🕫	Y 🕫	Y	сь С
Industry FE .	$Y  {}^{_{\varphi^2}}$	Y e	Y 🕫	$\mathbf{Y}$ $\omega$	Y 🕫	Y	¢
Time FE	Y	Y	Y +3	$\mathbf{Y}$ $\omega$	Y 🕫	Y	¢,
Obs. 🕫	9,253 🖉	9,252 -	8,024 .	8,692 -	8,056 -	8,209*	ę
R-squared .	0.012 +	0.011 ~	0.225 **	0.149 -	0.011 **	0.011 +3	¢,
No. of Industries @	732 🖓	732 +>	712 +	737 🕫	715 💩	720 +	ę

Table 8 REER Movements Impact on BF Export Quality Upgrading Index

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Notes: Robust Standard Errors Clustered at HS 4 Digit Industry Level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1 ° QBF is BF export quality upgrading index, INTBF is logged of intensive margin of export quality upgrading index; EXTBF is logged of extensive margin of export quality upgrading index.

			1	1 (	5 18 8		
Dependent Var. «	∆lnQBF ₀	∆lnQBF .₀	∆INTBF .₀	∆INTBF ~	∆EXTBF .ª	$\Delta E X T B F \sim$	تو تو
ته 	(1) •	(2) 🛛	(3) +	(4) •	(5) 🕫	(6) .	ę
$\Delta \ln (XREER)$	0.566**.	<sup>ده</sup>	-0.132 +	c,	0.394*	C∳	ę
	(0.270) •	c+	(0.156) +	c+	(0.231) +	C.	¢
$\Delta \ln (MREER)$	-0.119	<sup>ده</sup>	-0.246***	<sup>4</sup> ۶	0.348*	C∳	¢
	(0.152) .	<sup>ده</sup>	(0.124) +	<sub>4</sub> ۵	(0.194) +	C∳	¢
$\Delta \ln (REER)$ .	¢-	0.233 +	r*	-0.429***	ته	0.823****	¢
Ç∌	¢.	(0.349)*	ته	(0.220) +	ته	(0.291) +	¢
Covariates .	$Y _{\scriptscriptstyle \!$	Y +2	$\mathbf{Y} _{\!$	Y	Y 🕫	Y 🖓	¢
Industry FE -	Y 🕫	Y 🖓	$\mathbf{Y} \mathrel{\scriptscriptstyle{\scriptscriptstyle \varphi}}$	$\mathbf{Y}$ 40	Y 🖓	Y 🖓	¢,
Time FE 🖓	$Y _{\scriptscriptstyle \!$	Y +2	$\mathbf{Y} _{\!$	$\mathbf{Y} _{\!$	Y 🕫	$\mathbf{Y} _{\mathbf{v}}$	¢
Obs. 🛛	5,743 @	5,741 -	4,675 -	4,674 -	4,571 .	4,571 -	4
R-squared .	0.010 +2	0.009 *	0.015 *	0.016 **	0.017 🖓	0.019 *	¢,
No. of Industries @	671 ~	671 💩	647 💩	647	639 +>	639 +	÷

Table 9 Robustness Check of REER Movements Impact on BF Export Quality Upgrading Index

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Notes: Robust Standard Errors Clustered at HS 4 Digit Industry Level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1. QBF is BF export quality upgrading index, INTBF is logged of intensive margin of export quality upgrading index; EXTBF is logged of extensive margin of export quality upgrading index.  $\Delta$  is long-term differenced operator.

Table TO KEEK WOV	cilients impact on i		ty Opgrading n			
Dependent Var. «	lnQBF ~	lnQBF .	lnQBF .	lnQBF .	lnQBF .	lnQBF @
C.	(1) ~	(2) .	(3) 🕫	(4) ~	(5) .	(6) .
ln (XREER)	0.261 -	0.496*** <sub>*</sub>	0.417** .	0.483****	0.346* .	0.417**.
	(0.169).	(0.179).	(0.182) -	(0.177) -	(0.204)	(0.193) •
ln (MREER) -	-0.105 v	-0.124 *	-0.187 -	-0.203* .	-0.089 🖓	-0.142 +
C.	(0.097)*	(0.100) ~	(0.118).	(0.111) .	(0.095) -	(0.098)
IMP_COM <sub>t-1</sub> .	0.009 ~	0.003 🖓	C.	Ç∌	ą	ę
	(0.012)*	(0.011) ~	сь С	C.	ą	сь С
$\ln (MREER) * IMP_COM_{t-1}$	-0.002 *	-0.001 **	r,	⊂.	Ç.	c,
	(0.003)*	(0.003) +	¢,	C <sub>4</sub>	c,	C,
IM_Share <sub>t-1</sub> ~	C.	C+	-0.011* <sub>*</sub>	-0.011* 💩	Ç.	C.
	Ç.	تم	(0.006) <i>ي</i>	(0.006) +	Ş	с,
$\ln(MREER) * IM_Share_{t-1}$	C.	C.₽	0.002* ~	0.002** .	Ģ	сь С
	Ç.	تم	(0.001) 0	(0.001) +	Ş	с,
EXP_PRO <sub>t-1</sub> .	C.	C.	ę.	C <sub>P</sub>	0.005 ~	-0.007 +2
	C.	C.₽	C.	C <sub>P</sub>	(0.016) -	(0.015).
$\ln (XREER) * EXP_PRO_{t-1}$	C <sub>9</sub>	с,	¢,	C <sub>b</sub>	-0.001 +2	0.001 **
ته	C∌	تم	c,	C∌	(0.003)	(0.003) ~
Covariates +3	N 🖓	Y 🖓	N 🖉	Y «	N 🕫	Y +2
Industry FE 🖉	Y 🕫	Y 🖓	Y 👳	Y 🕫	Y 🕫	Y 🕫
Time FE +	Y 🖓	Y	Y 🕫	Y 🖓	Y 🕫	Y +2
Obs. «	10,285 .	9,253 .	9,884 .	9,253 .	9,594 -	9,253 .
R-squared .	0.008 ~	0.012 +	<i>⊶</i> 0.009	0.012 +	0.007 ~	0.012 *
No. of Industries	<b>769</b>	732 +	760 💩	732 🕫	747 💩	732 💩

Table 10 REER Movements Impact on BF Export Quality Upgrading Index and Trade Dependence

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Notes: Robust Standard Errors Clustered at HS 4 Digit Industry Level are in Parenthesis, \*\*\*p<0.01, \*\*p<0.05, \*p<0.1; QBF is the BF export quality upgrading index.

#### Conclusion

- An appreciation of export weighted real exchange rate will drive up export quality; an appreciation of import weighted real exchange rate will depress export quality upgrading.
- The marginal impact of export weighted real exchange rate movements is larger than the marginal impact of import weighted real exchange rate movements.
- The real exchange rate movements impact on export quality upgrading is systematic associated with the import input ratio of manufacturing industries.
- Real exchange rate movements impact on export quality of incumbent products is negative and opposite to those impact on export quality at extensive margin.
- An appreciation will drive export quality upgrading mainly by accelerating the entry and exit of products within industries.